

OUTLINE 21

POPULATION GENETICS

I. The New Synthesis

A. Challenge

1. Bracydactyly

2. The Hardy-Weinberg rule

B. Populations and Gene Pools

1. Definitions

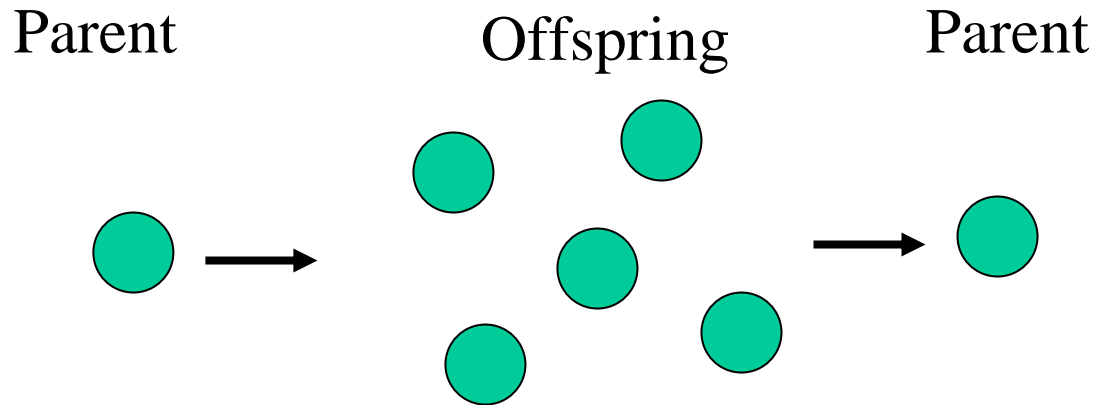
2. Illustration of Hardy-Weinberg Equilibrium

C. Conditions for Hardy-Weinberg equilibrium

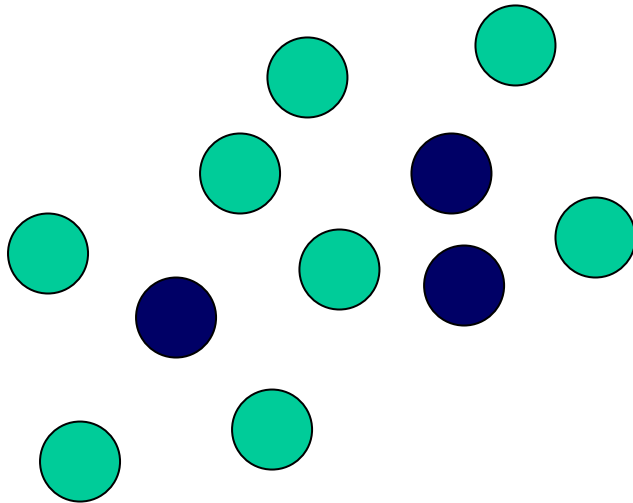
D. Significance of Hardy-Weinberg for the study of Evolution

E. How to recognize Hardy-Weinberg equilibrium

More offspring are born than can survive to reproduce



Individuals within a species vary



Traits are heritable

Parent

Offspring



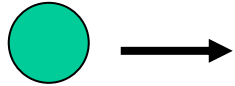
Parent

Offspring



Individuals with some traits reproduce more than others

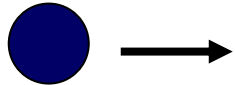
Parent



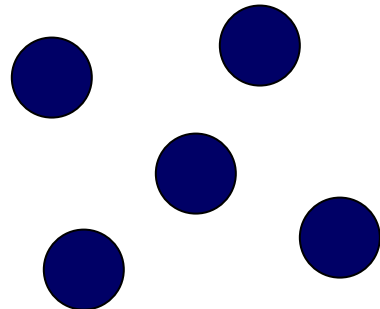
Offspring



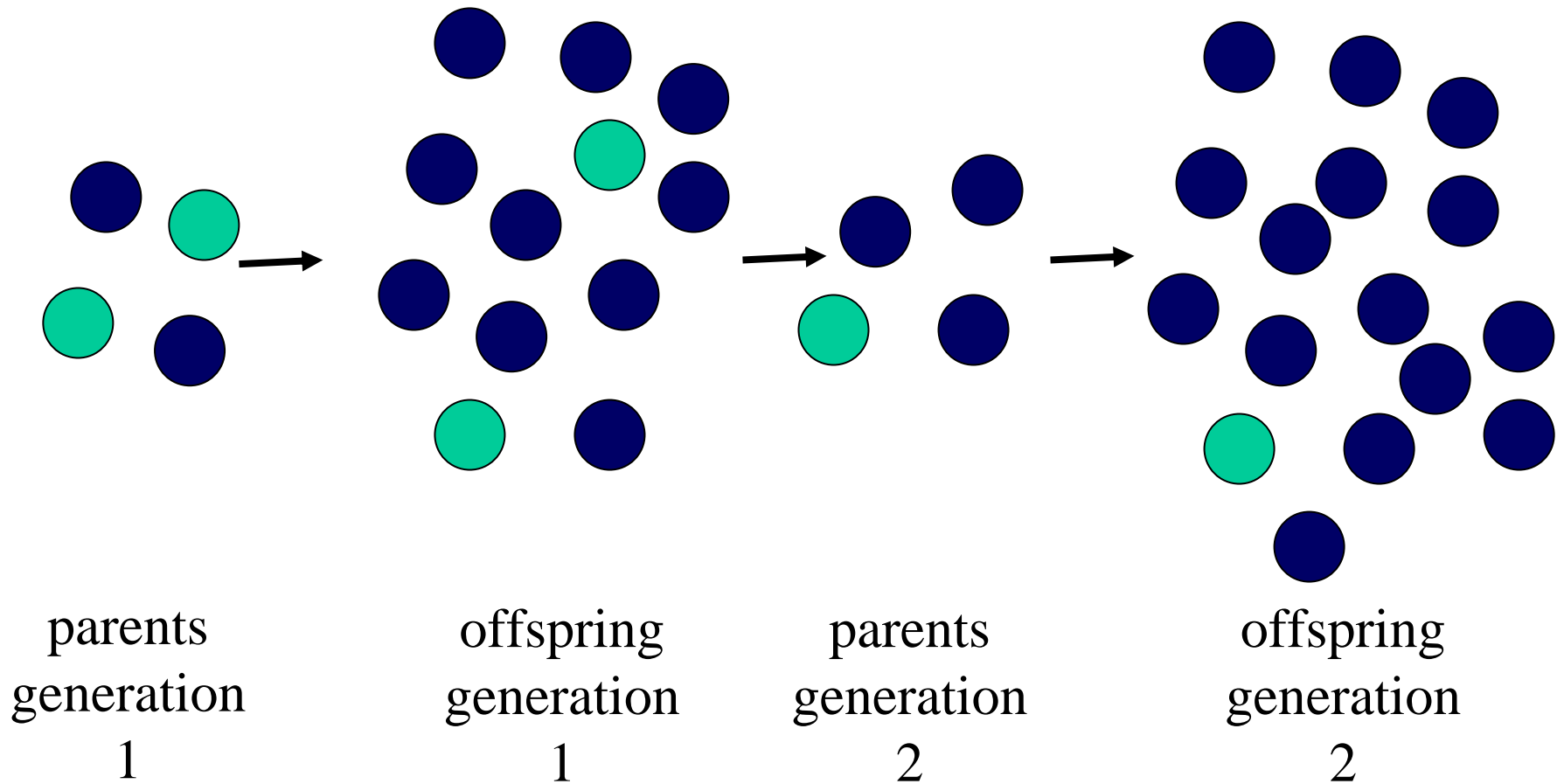
Parent



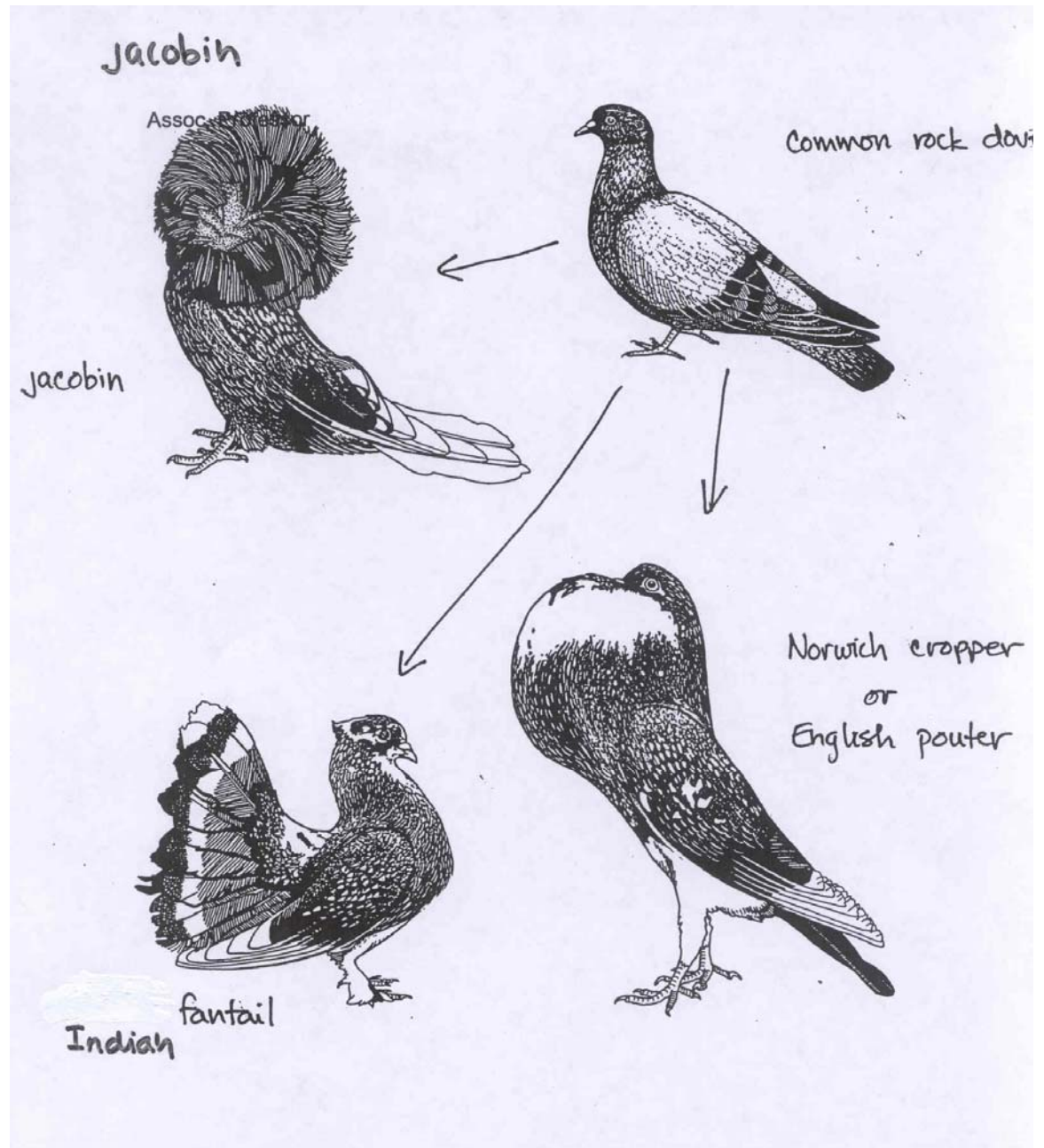
Offspring



Traits that enhance reproduction become more common each generation



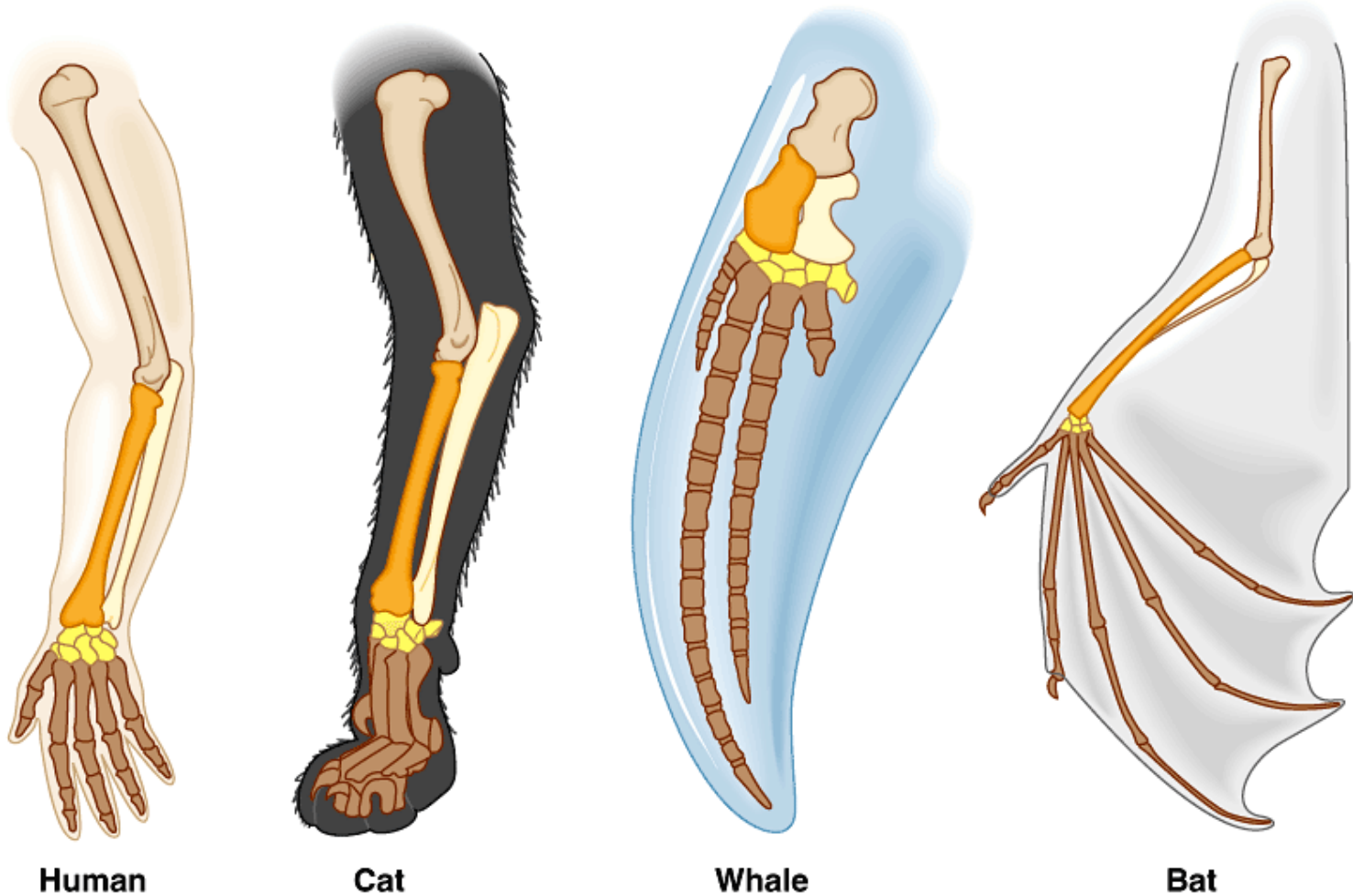
Artificial selection
has produced
different, true-
breeding varieties
of “fancy” pigeons
from a single
ancestral form



Fossils - preserved evidence of previously living things

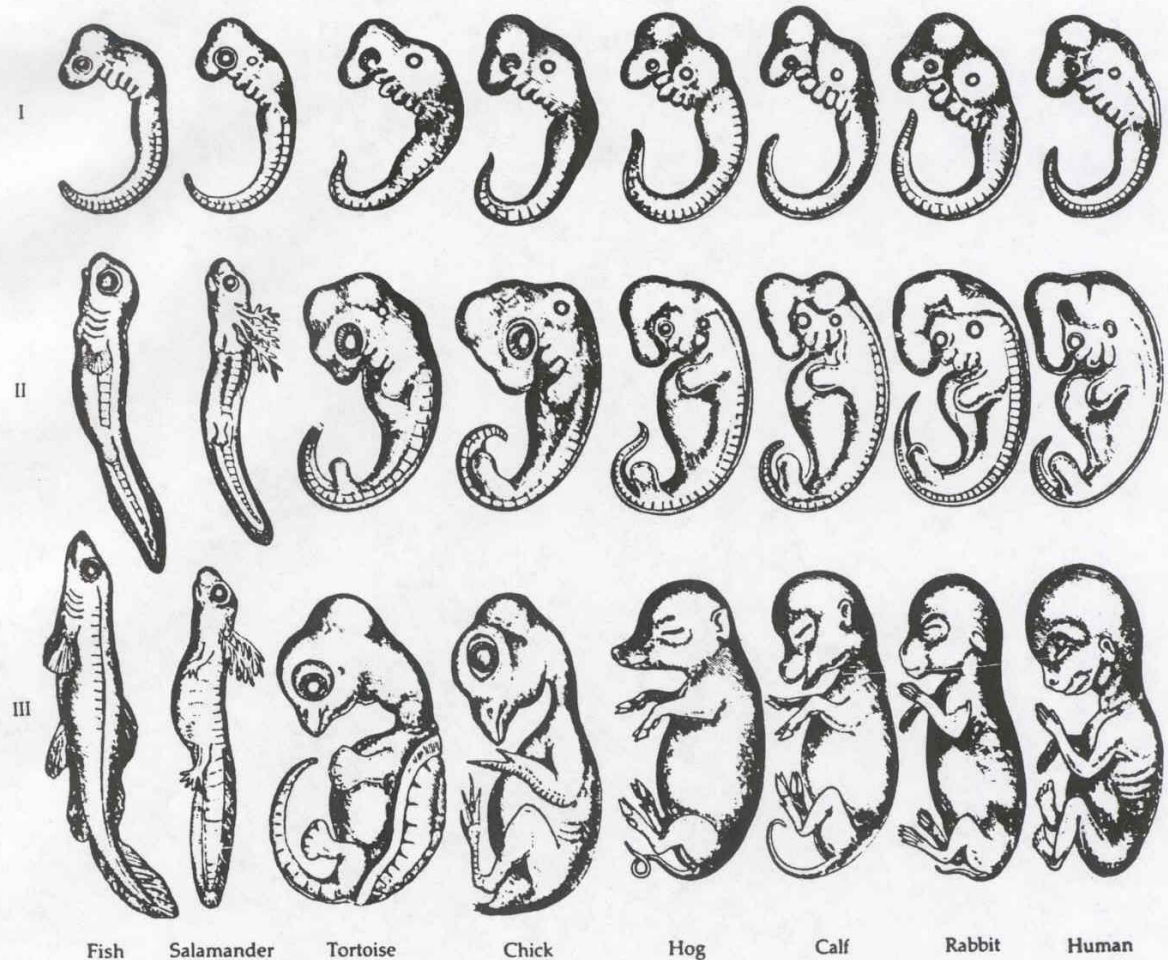


Homology - similarity caused by common ancestry



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Homology in early embryonic form



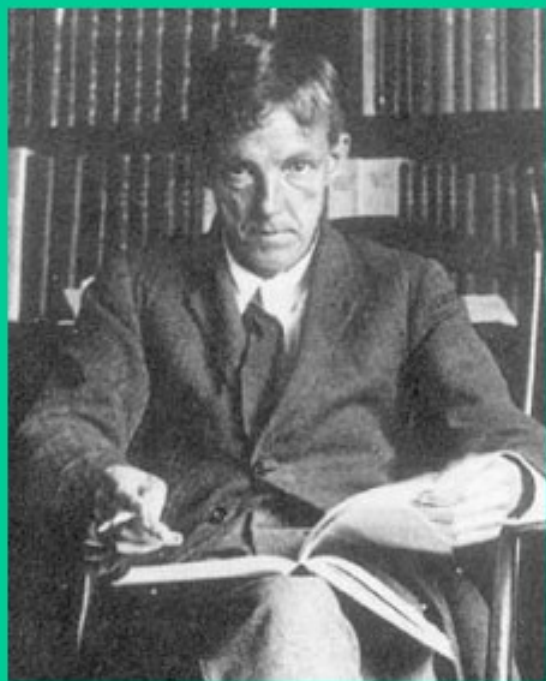
Early embryos of diverse groups share many features. As development proceeds, embryonic forms diverge and become more similar to adults of their own species (von Baer's law)

The Paradox of Variation:

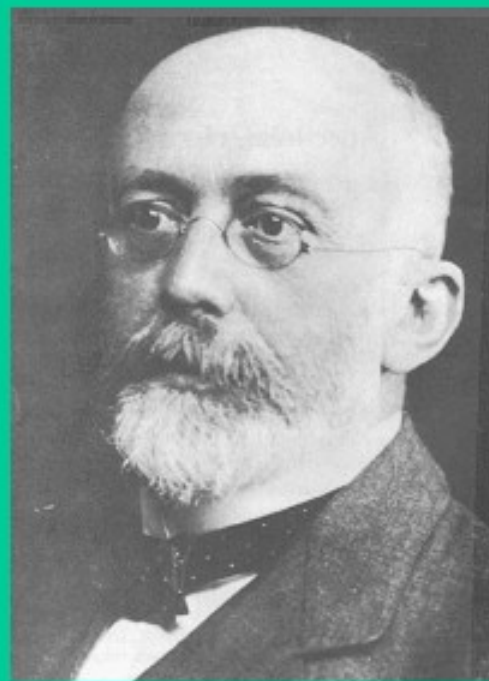
Evolution requires natural selection, but natural selection eliminates variation.

The Hardy-Weinberg equilibrium

“A fundamental principle in population genetics stating that the genotype frequencies and gene frequencies of a large, randomly mating population remain constant provided immigration, mutation, and selection do not take place.” *American Heritage Dictionary*

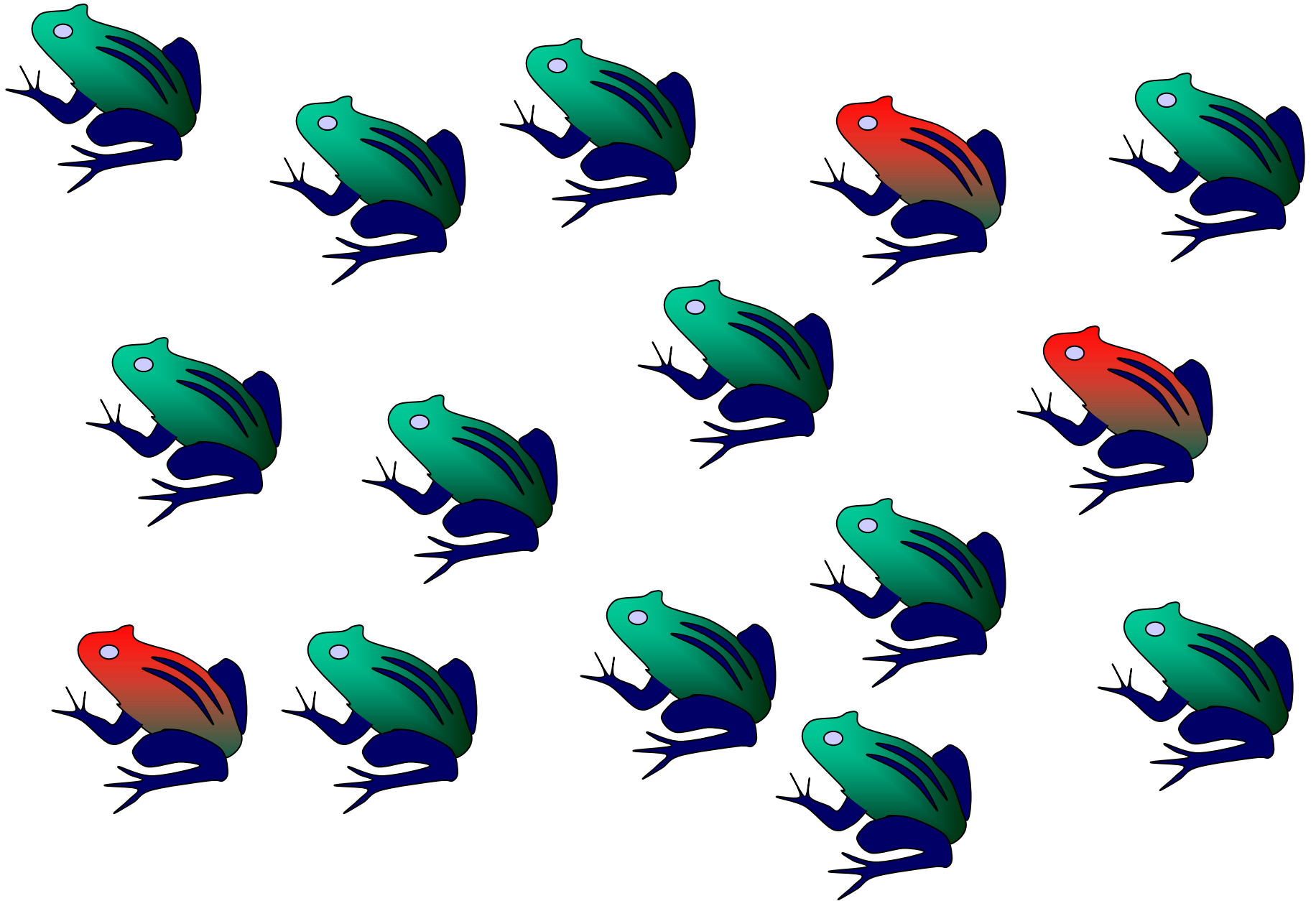


Godfrey Harold Hardy
1877-1947

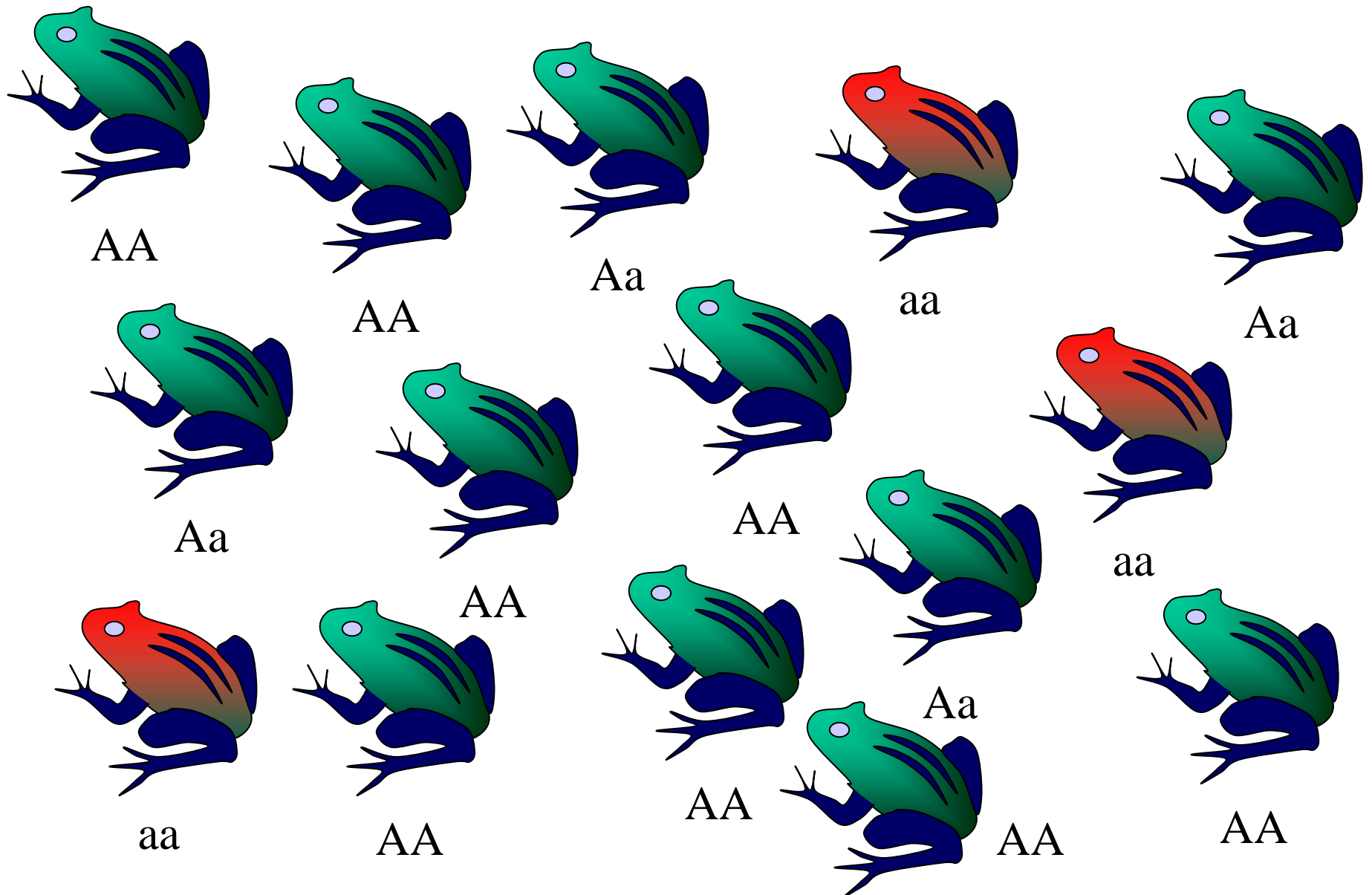


Wilhelm Weinberg
1862-1937

A population: Phenotype frequencies $1/3$ red and $2/3$ green



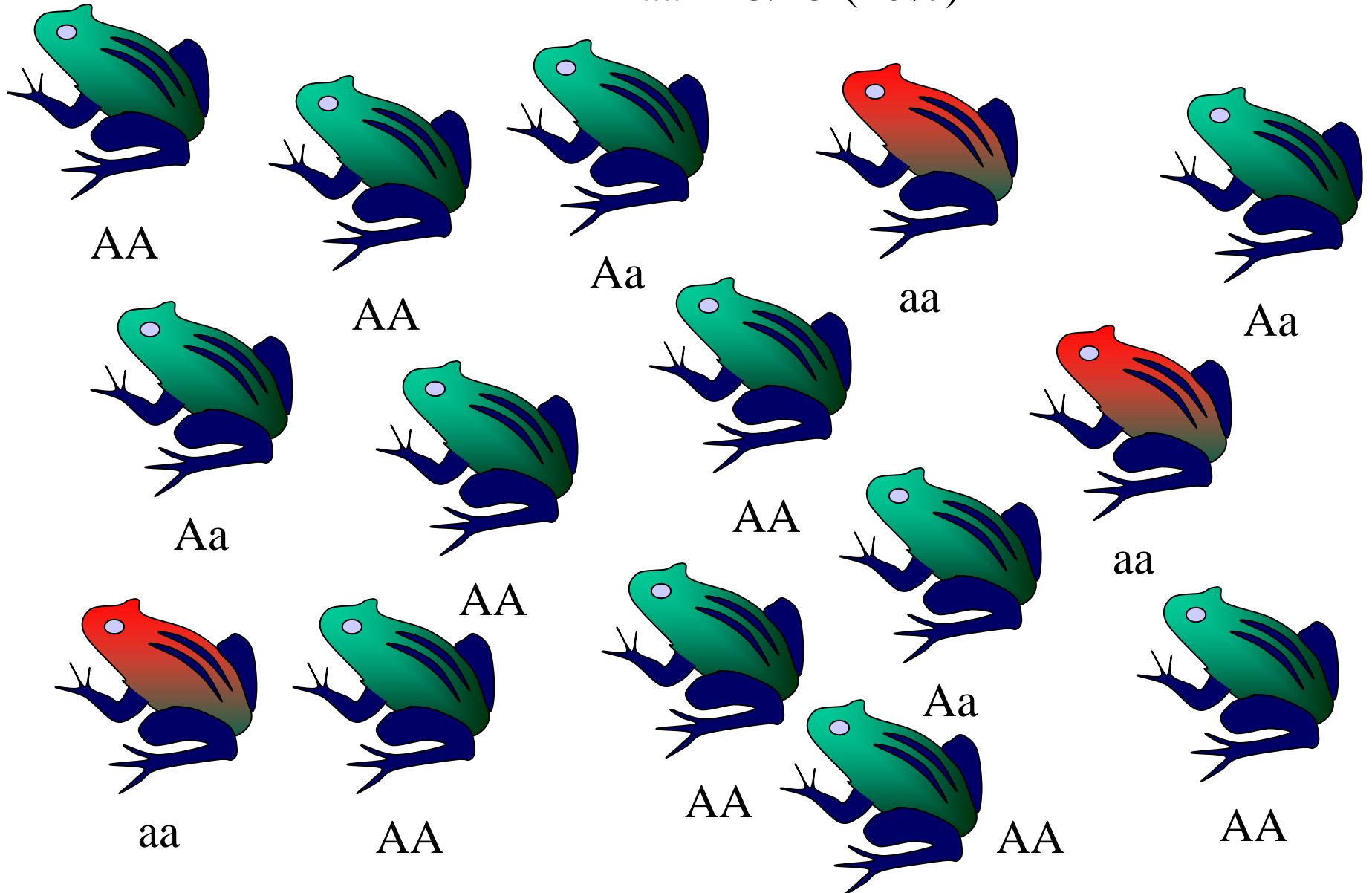
A population has a frequency of genotypes



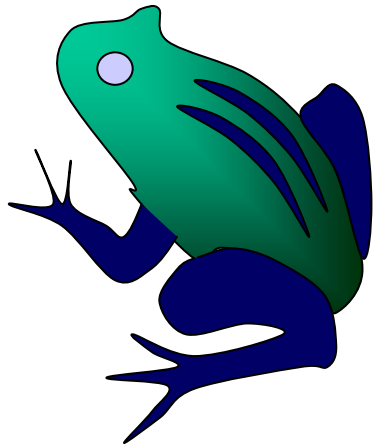
Total number = 15, frequency of AA = 8/15 (53%)

Aa = 4/15 (27%)

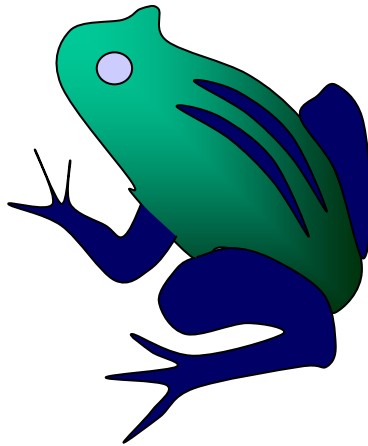
aa = 3/15 (20%)



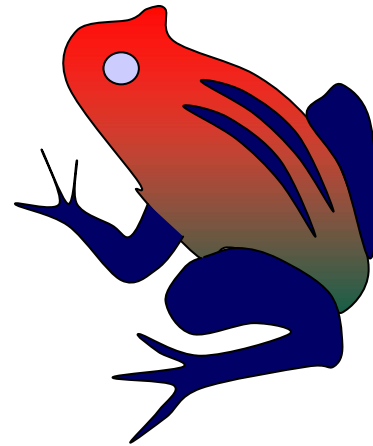
Individuals have 2 alleles for each gene



AA



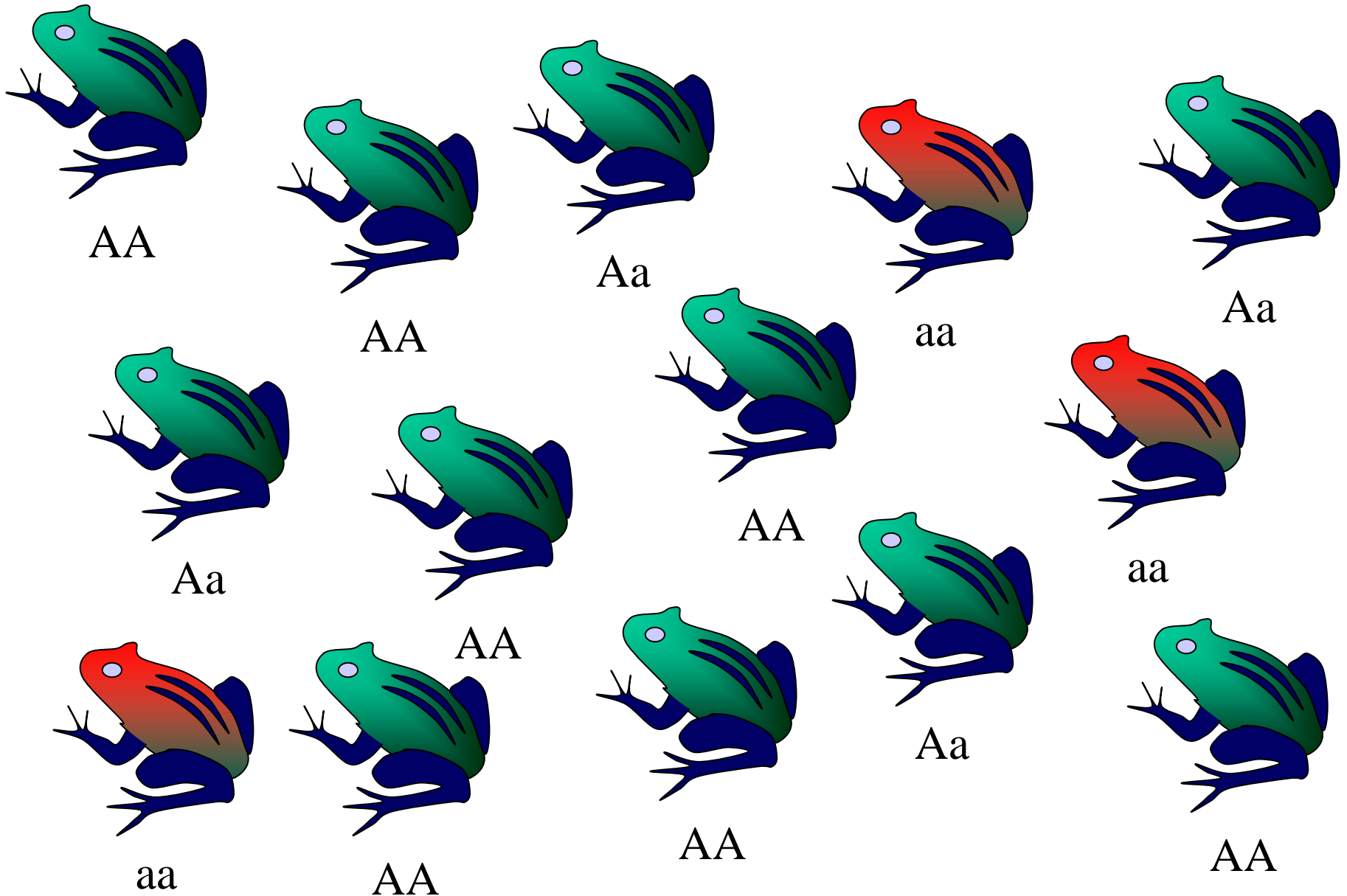
Aa



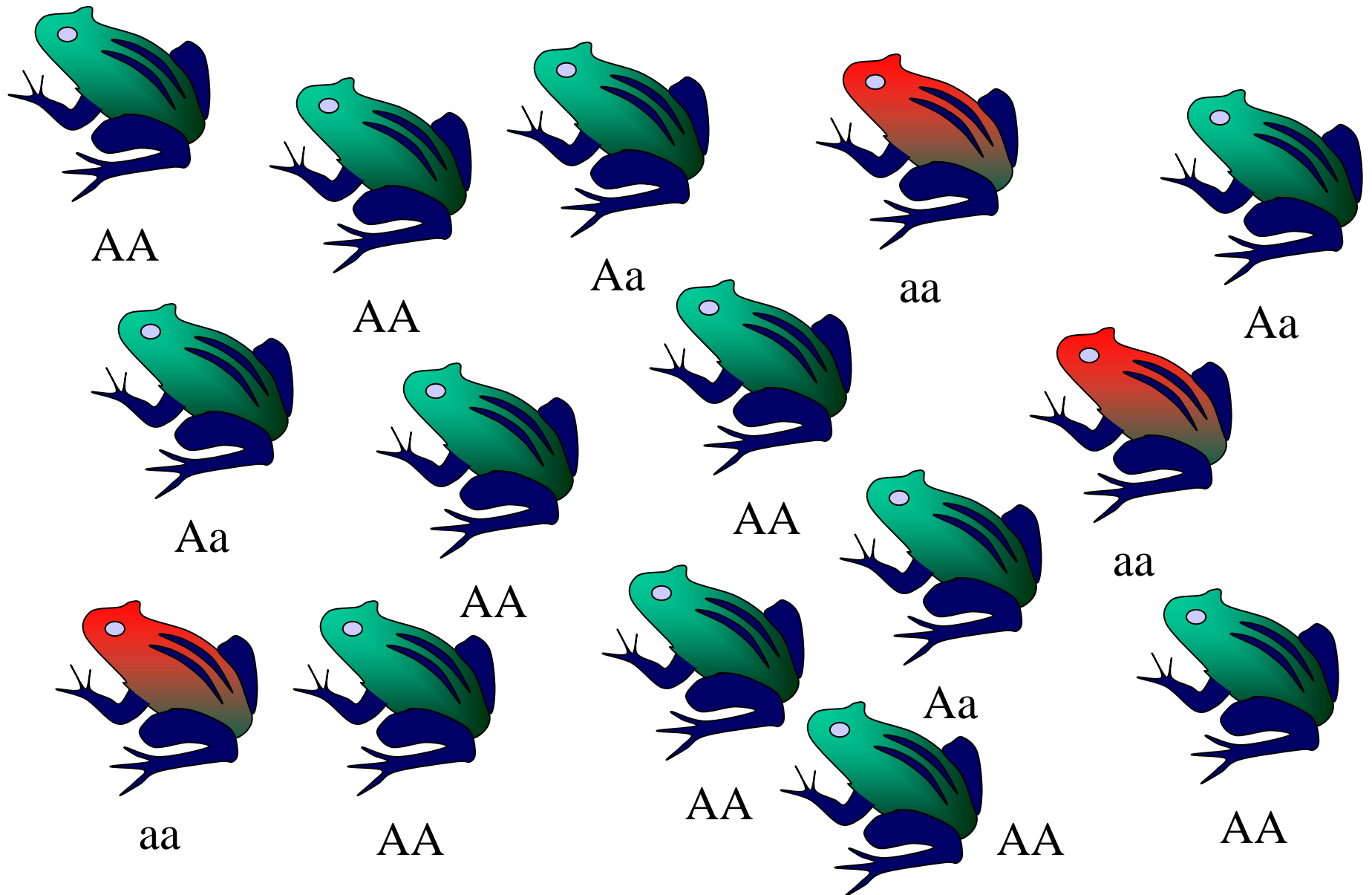
aa

Total number of alleles in the gene pool = $2 \times \# \text{ individuals}$

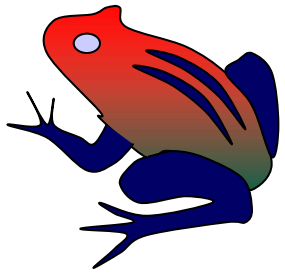
A population has a frequency of alleles



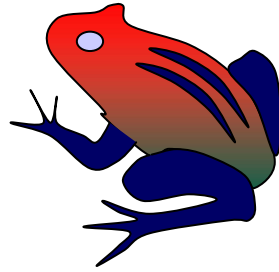
Total number of alleles = 30, frequency of $A = 20/30$ (67%)
 $a = 10/30$ (33%)



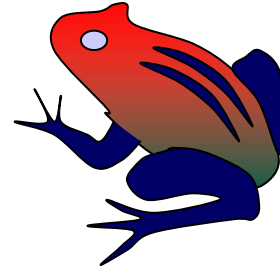
A population fixed for the “a” allele



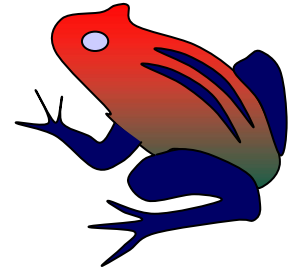
aa



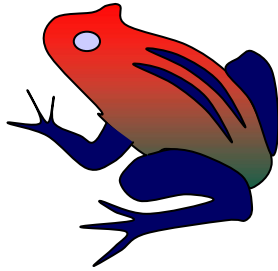
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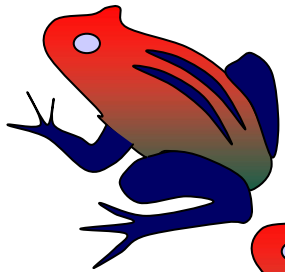
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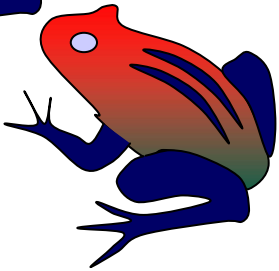
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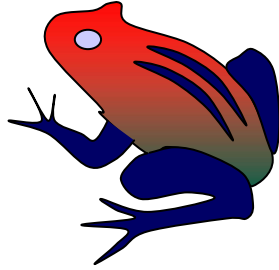
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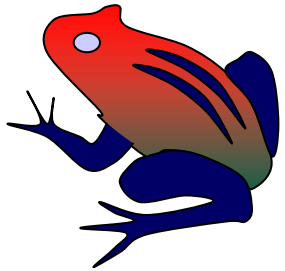
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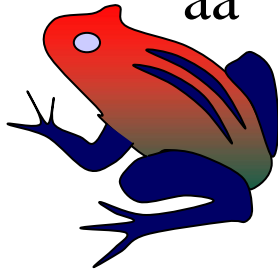
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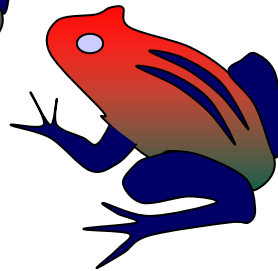
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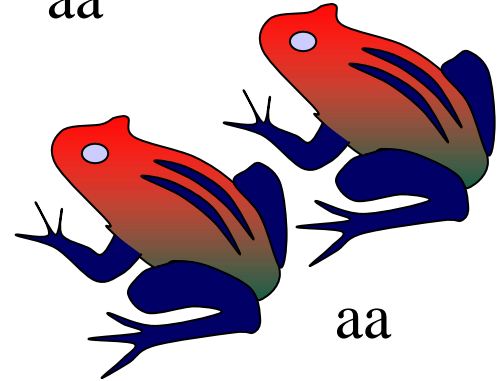
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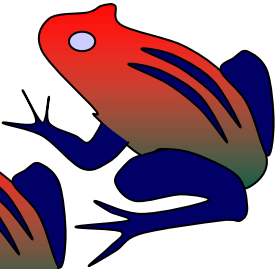
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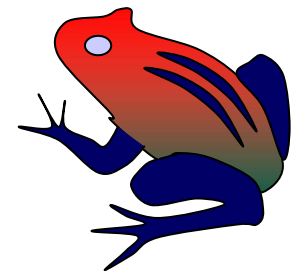
aa



aa



aa



aa

A population with genetic variation

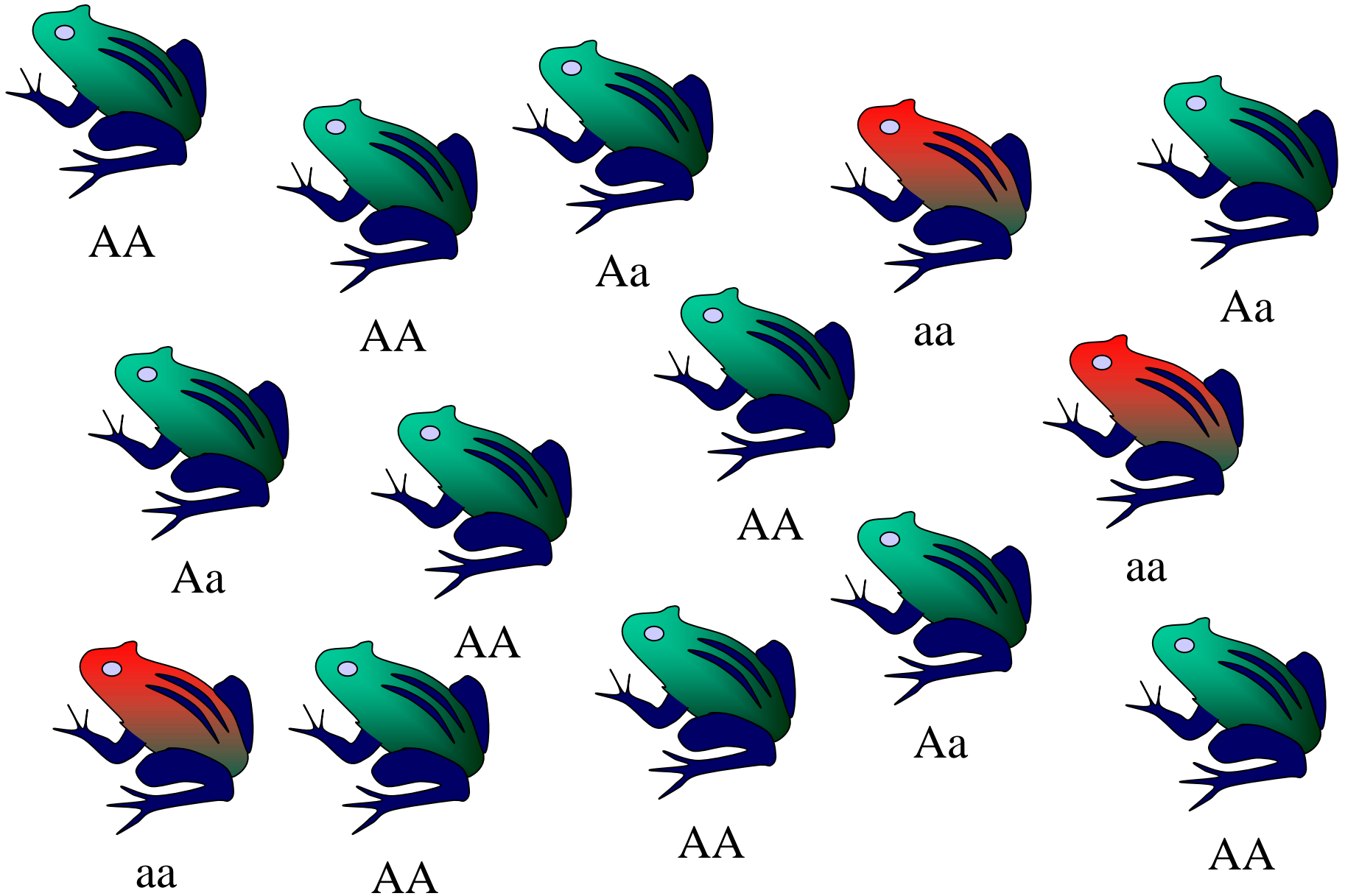


Fig 23.3a

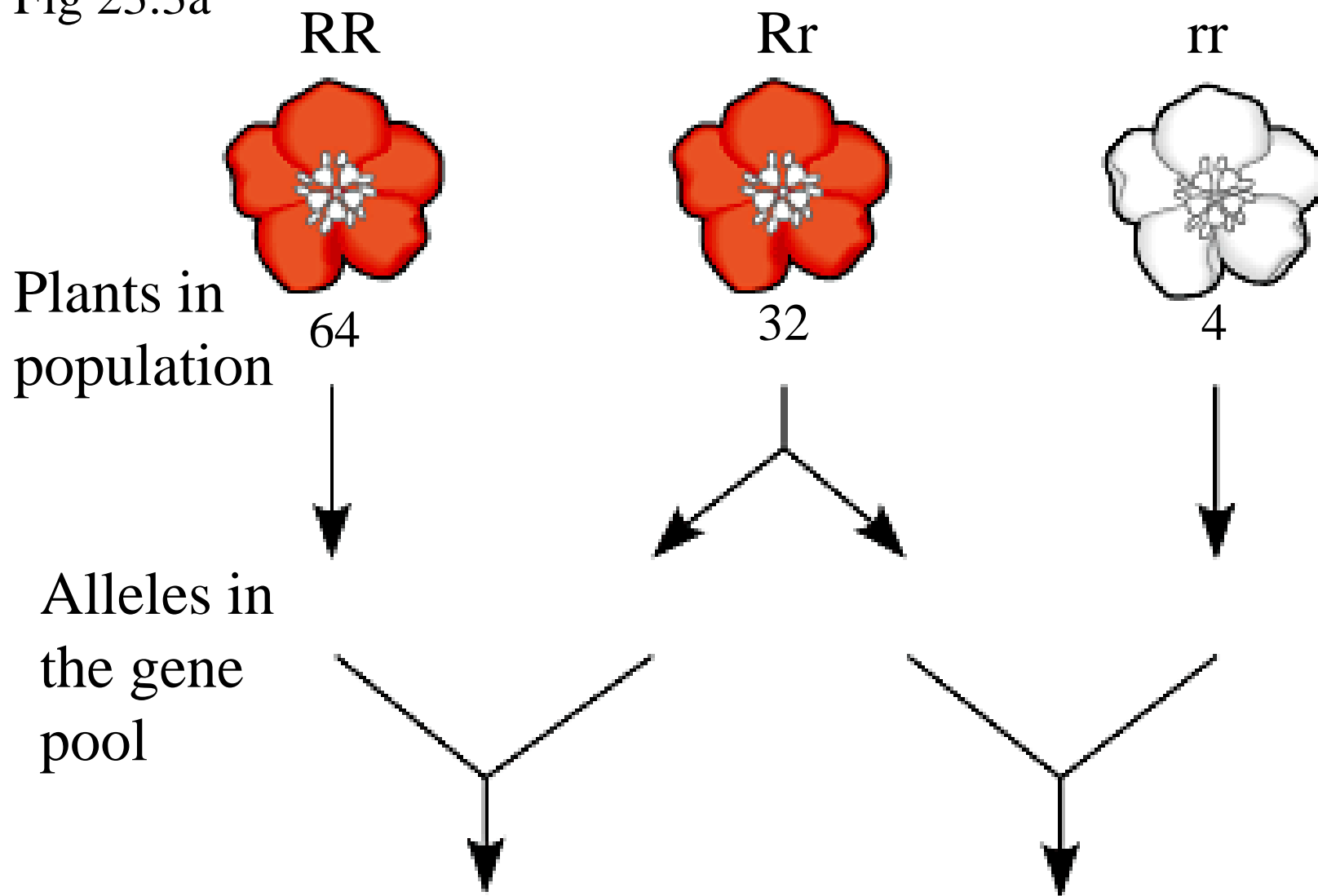


Fig 23.3a

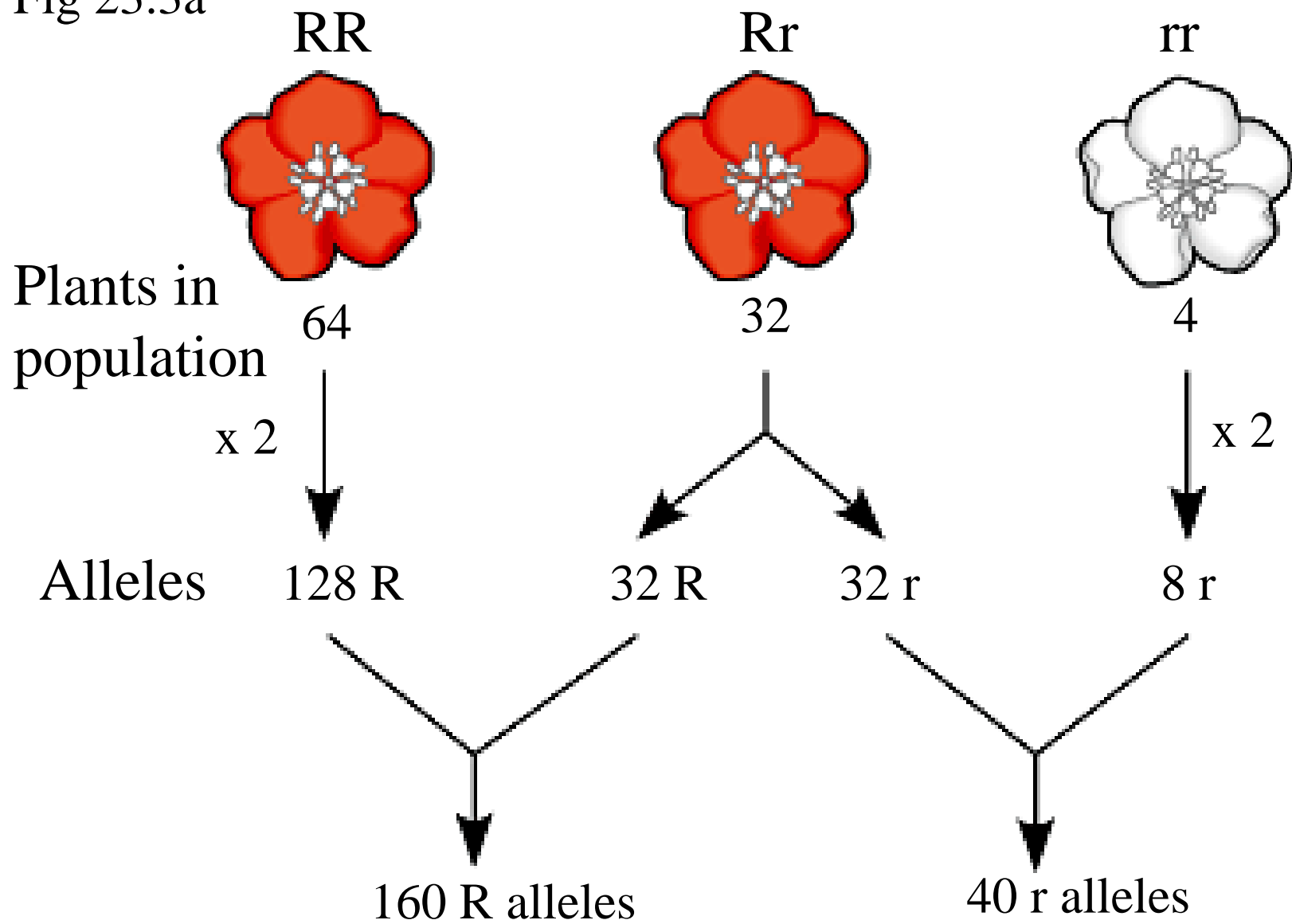
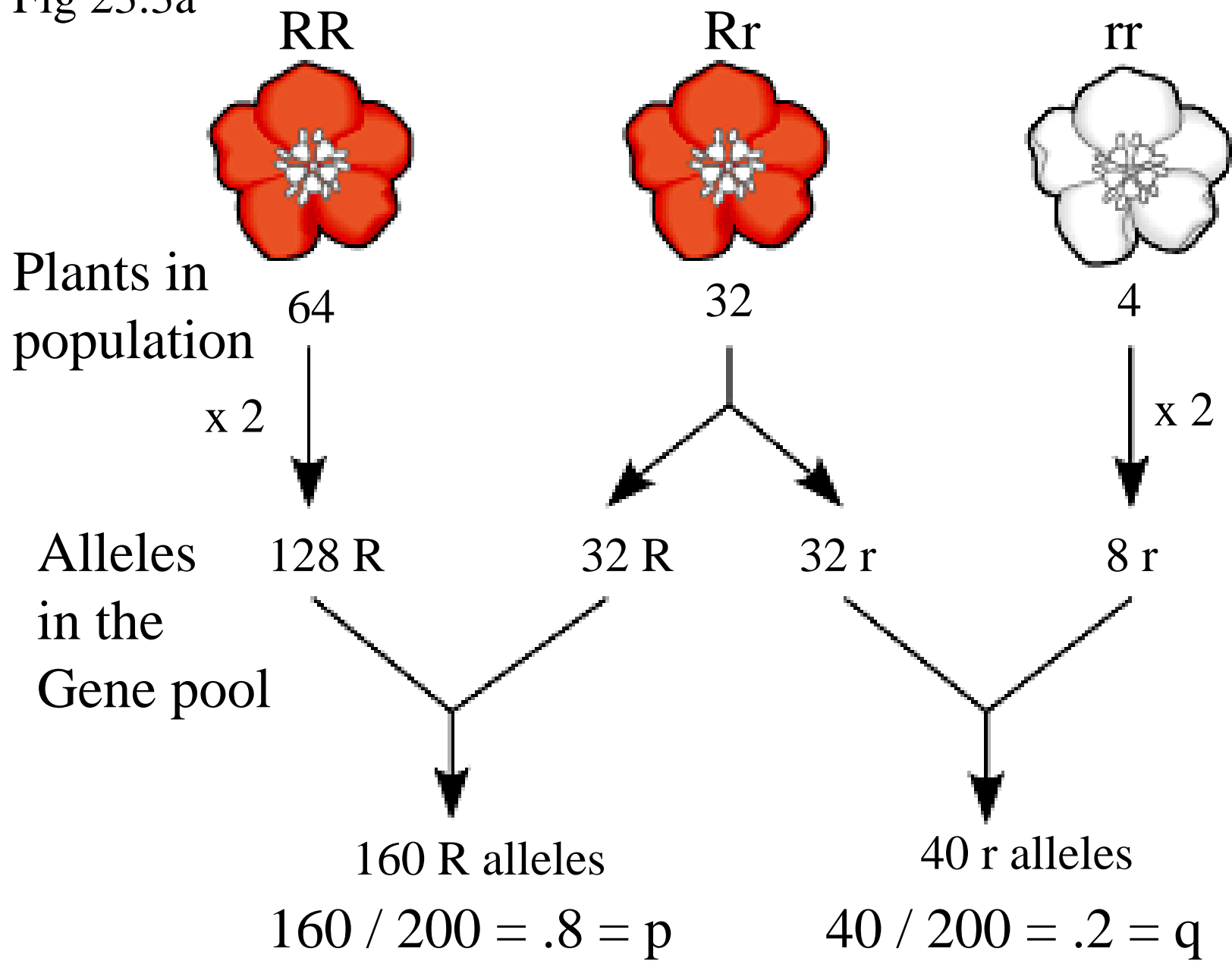


Fig 23.3a



What is the probability of an offspring with the genotype RR
In the next generation?

Probability of observing event 1 AND event 2 =
the product of their probabilities.

$$160 / 200 = .8 = p$$

$$40 / 200 = .2 = q$$

P[2 R alleles from 2 gametes]?

Probability of each R = .8

Probability of RR = .8 x .8 = .64

$$= p \times p = \mathbf{p^2}$$

What is the probability of an offspring with the genotype rr
In the next generation?

Probability of observing event 1 AND event 2 =
the product of their probabilities.

$$160 / 200 = .8 = p$$

$$40 / 200 = .2 = q$$

Pr: 2 r alleles from 2 gametes?

Probability of each r = .2

$$\begin{aligned}\text{Probability of rr} &= .2 \times .2 = .04 \\ &= q \times q = \mathbf{q^2}\end{aligned}$$

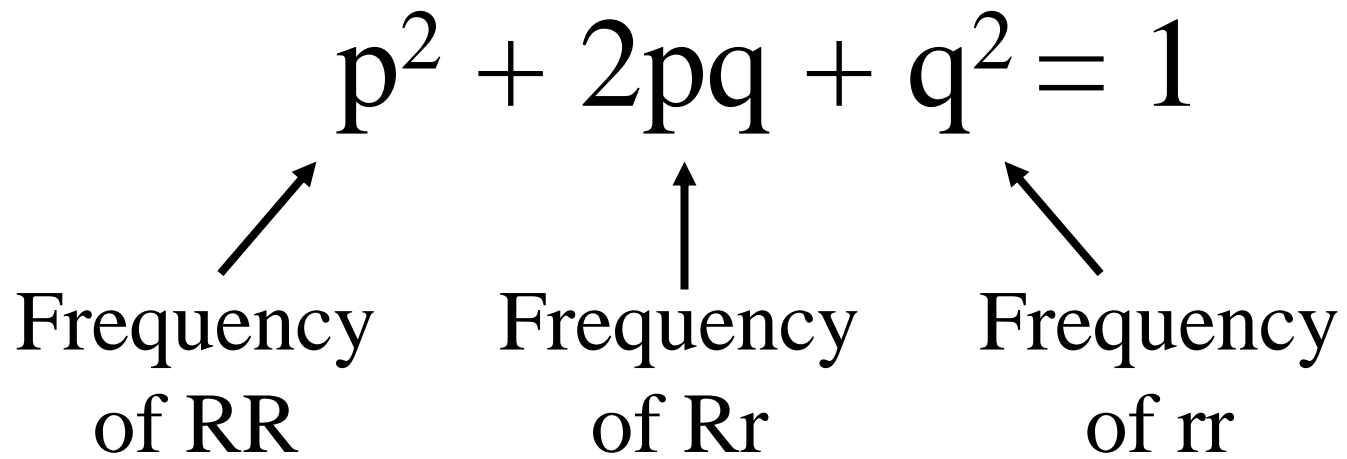
What is the probability of an offspring with the genotype Rr
In the next generation?

$$160 / 200 = .8 = p$$

$$40 / 200 = .2 = q$$

Pr: one r and one R from 2 gametes?

$$\begin{aligned} &P[\text{r and R}] \text{ or } P[\text{R and r}] \\ &= (.2 \times .8) + (.8 \times .2) = .32 \\ &= (p \times q) + (p \times q) = \mathbf{2pq} \end{aligned}$$

$$p^2 + 2pq + q^2 = 1$$


Frequency of RR

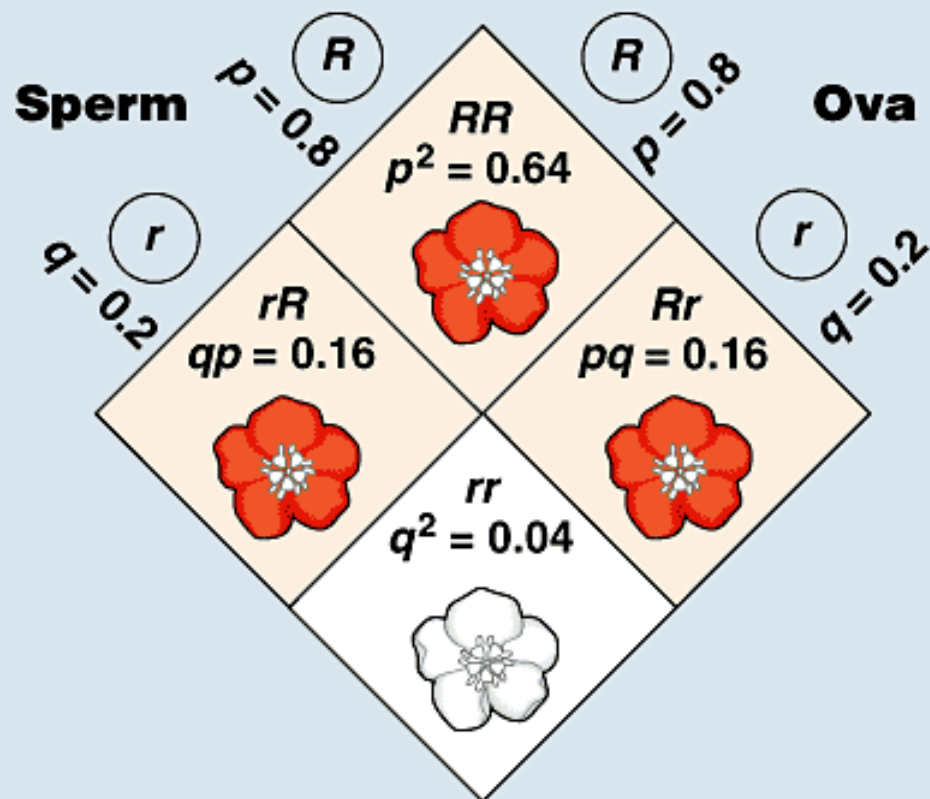
Frequency of Rr

Frequency of rr

The diagram illustrates the Hardy-Weinberg equation, $p^2 + 2pq + q^2 = 1$, where each term represents the frequency of a specific genotype. An arrow points from the label 'Frequency of RR' to the p^2 term. Another arrow points from the label 'Frequency of Rr' to the $2pq$ term. A third arrow points from the label 'Frequency of rr' to the q^2 term.

Fig 23.3b

Combination
of gametes from
first generation
(parents)



Next generation:

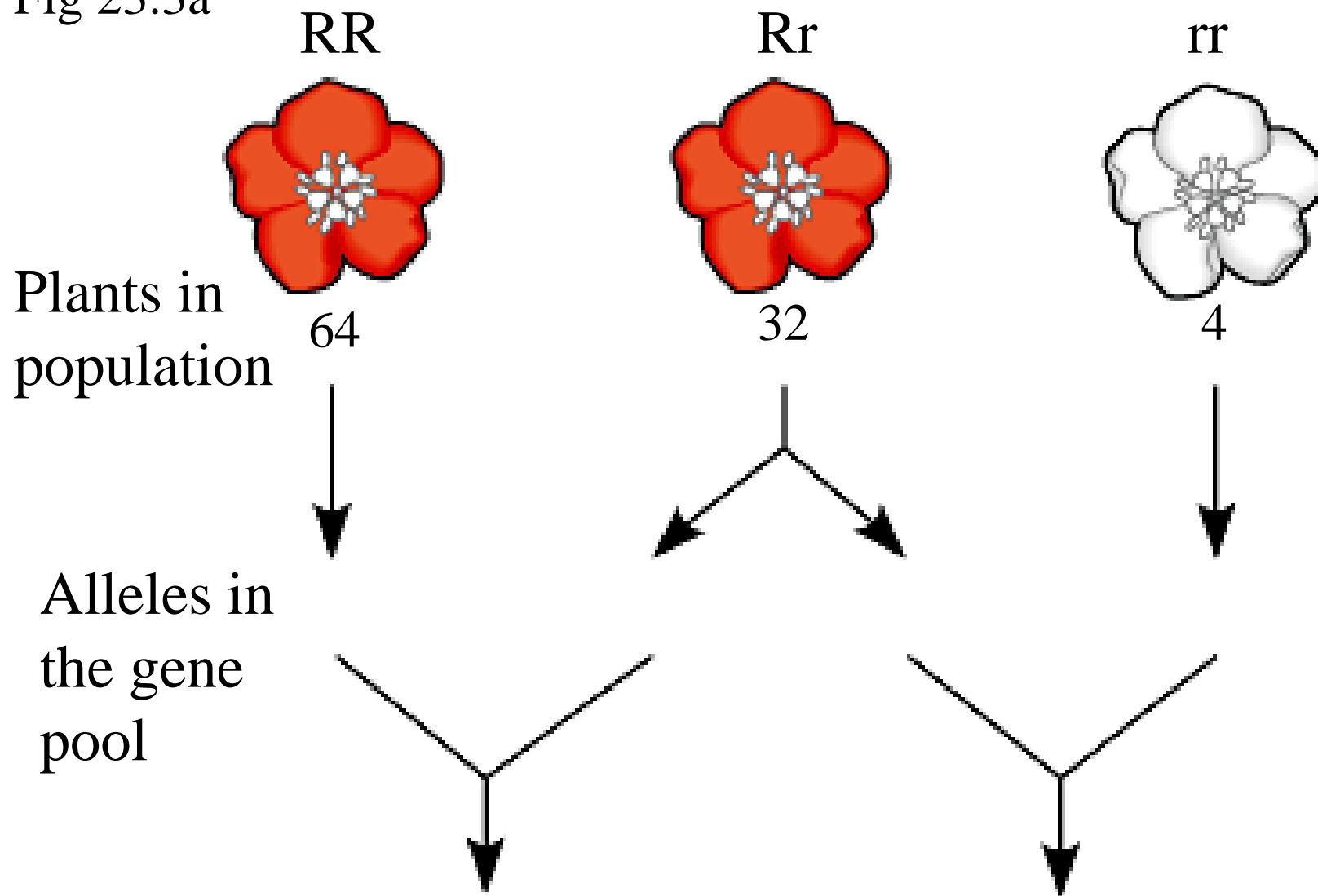
Genotype
frequencies

$$p^2 = 0.64 \text{ } RR \quad 2pq = 0.32 \text{ } Rr \quad q^2 = 0.04 \text{ } rr$$

Allele frequencies

$$p = 0.8 \text{ } R \quad q = 0.2 \text{ } r$$

Fig 23.3a

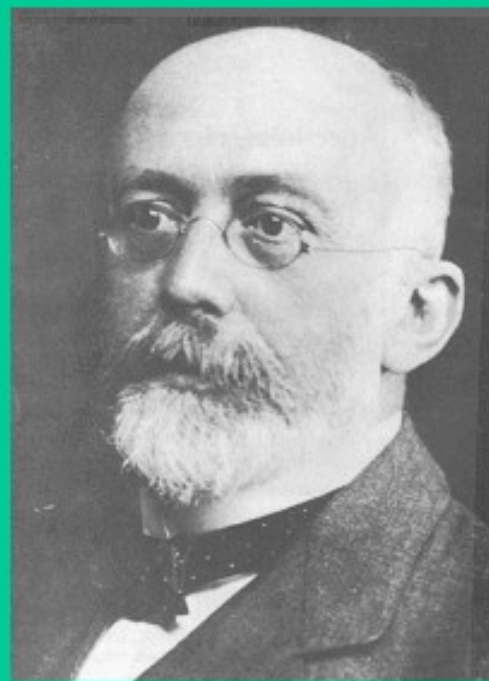


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